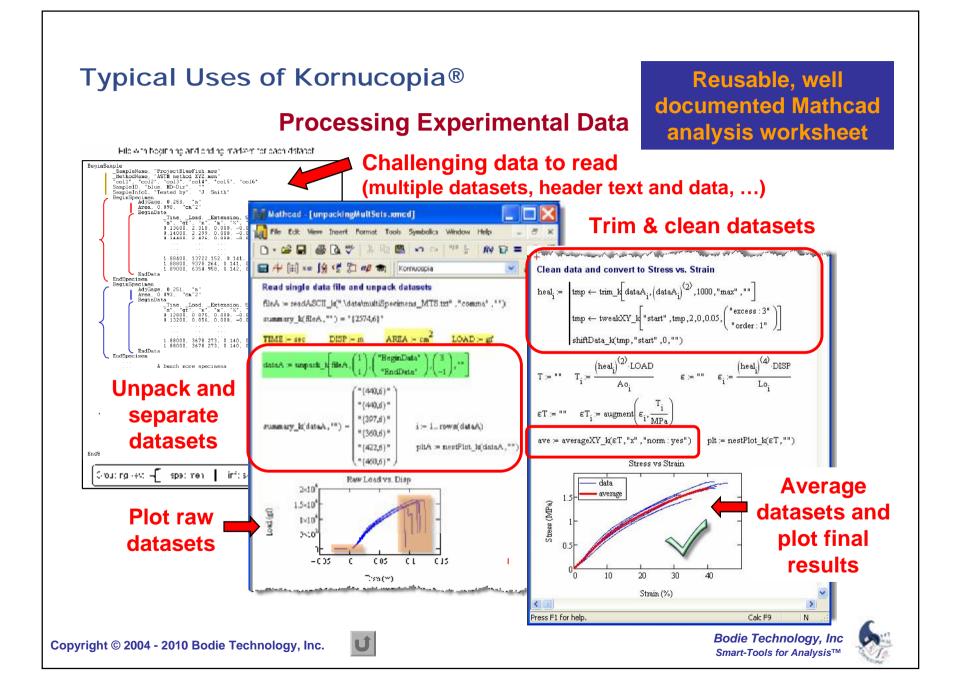
Kornucopia® In Action!

- **Experimental Data Analysis**
- Penetration Event Correlation
- Recorded Kornucopia® Session
- Automated Tension Test Analysis
- General Purpose Averaging
- Aliasing A Lurking Problem with **Digital Data**
- Correlating FEA and Experiments of LCD Ball Impact
- Sliding Mechanism Analysis
- FEA of Metal Bracket Failure
- WOX Shock Tester Development
- Salvaging Drifting Accelerometer **Data with Highpass Filtering**
- Sources of Noisy Data & Computing
 Unique Training Courses **Derivatives of Noisy Data**



- Not All DSP is the Same
- **Comparing DSP Software**
- **Elastic-Plastic Material Calibration** from Experimental Data
- Hyperfoam Material Modeling
- **Automating Analysis of Hysteresis** Data
- Kornucopia Improves Work-Flows that Use Data
- Handling Numerical Data and Text
- Mathcad is Powerful and **Extendable**
- Learning About & Accessing Kornucopia® Functionality is Easy

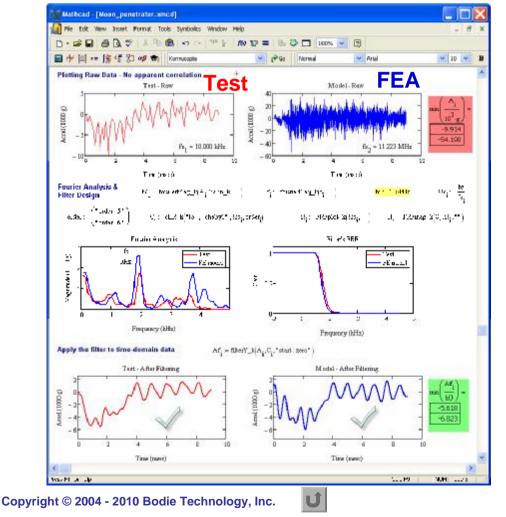




Typical Uses of Kornucopia®

Reusable, well documented Mathcad analysis worksheet

Analyzing Noisy FEA Results and Test Data



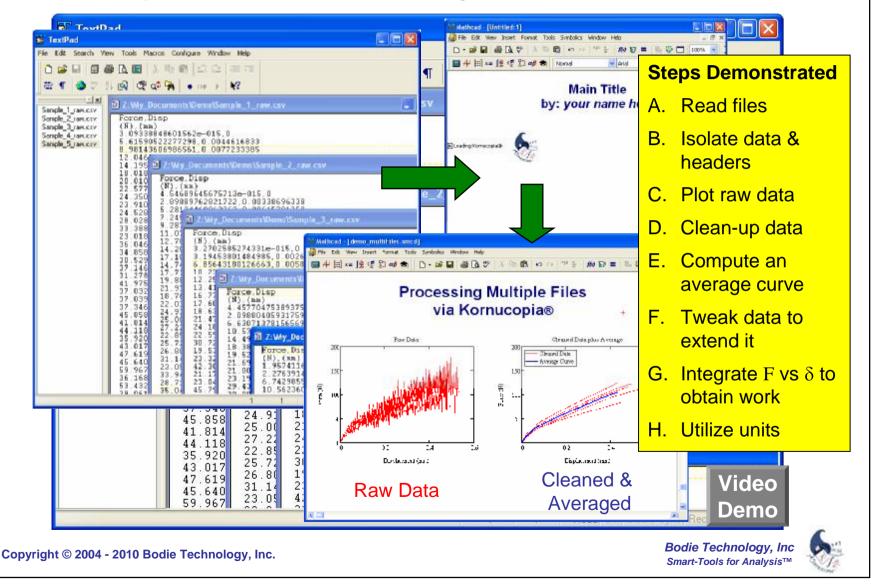
Challenging data from a penetration event

- Initial comparison in time-domain
- Fourier Analysis to understand frequency content
- Filter to remove higher frequency differences
- Reassess filtered data in time-domain

Bodie Technology, Inc Smart-Tools for Analysis™

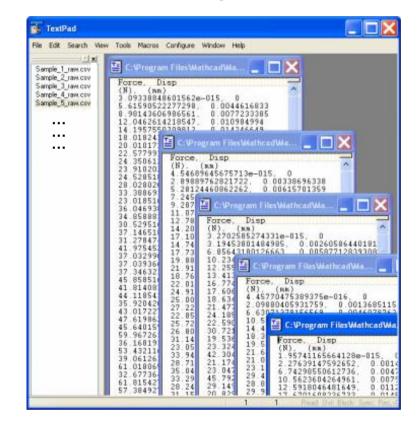


Kornucopia[®] - Powerful and Easy-To-Use Tools

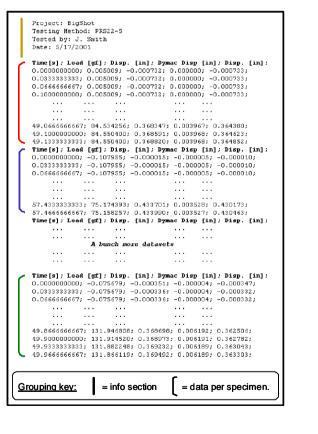


Kornucopia Readily Handles Large Amounts of Data

Numerous files with one or more specimens



One file, numerous specimens per file



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Bodie Technology, Inc Smart-Tools for Analysis™



Analyzing Tension Data

File with only beginning markers for each dataset

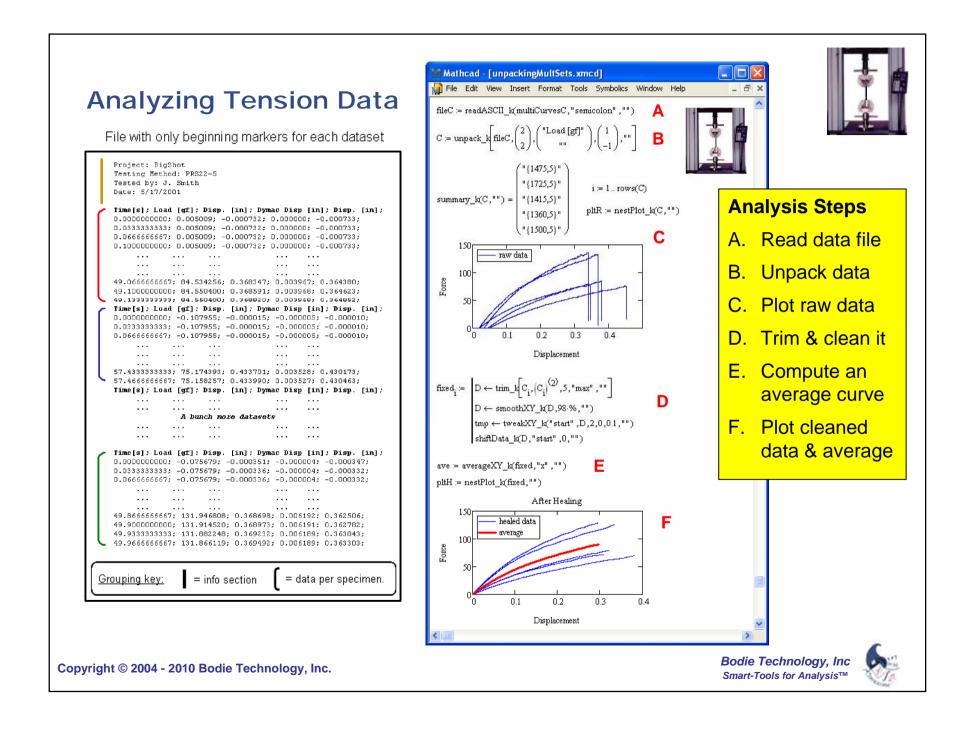
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Key Benefits:

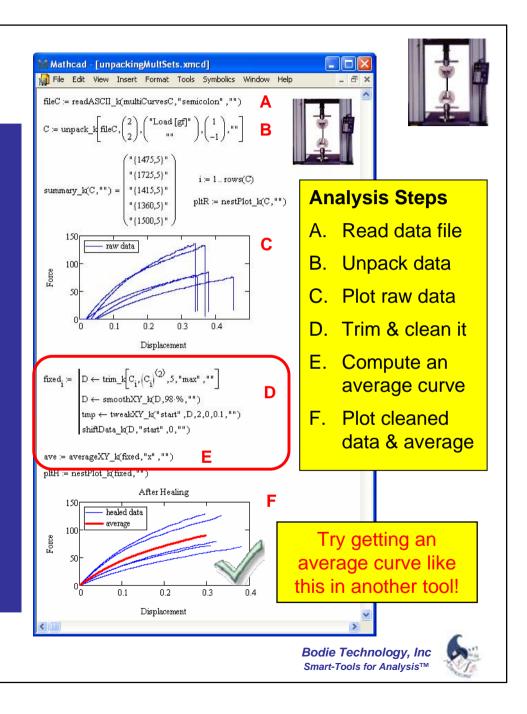
- Clear documentation of analysis process
- Reusable automated worksheet
 - Saves times
 - Reduces errors
 - Deployable to others
- Improved characterizations for:
 - Analytical Calculations

Ú

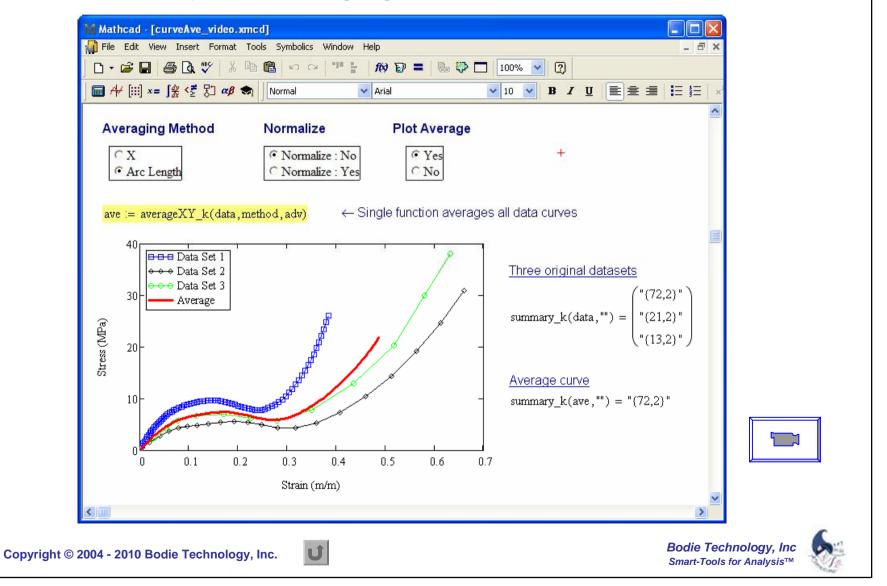
FEA Simulations

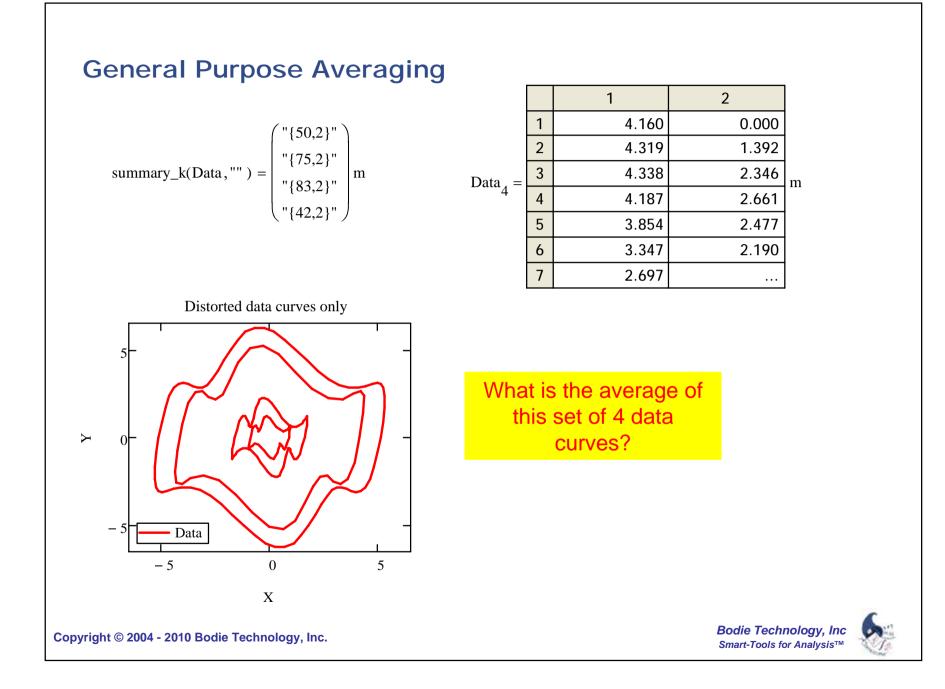
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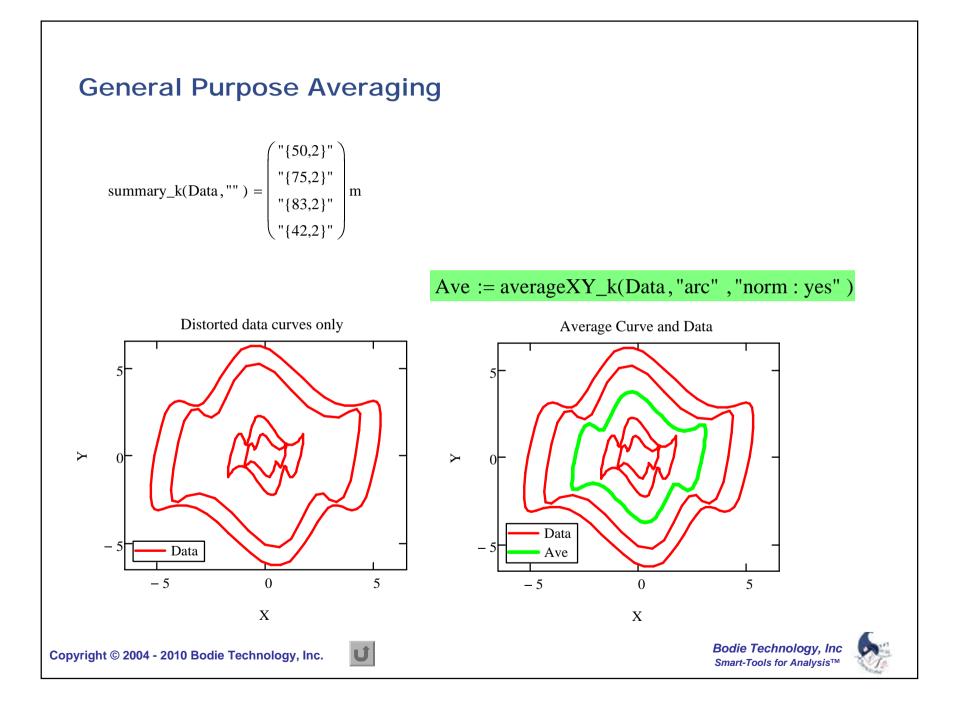
Quality Assurance

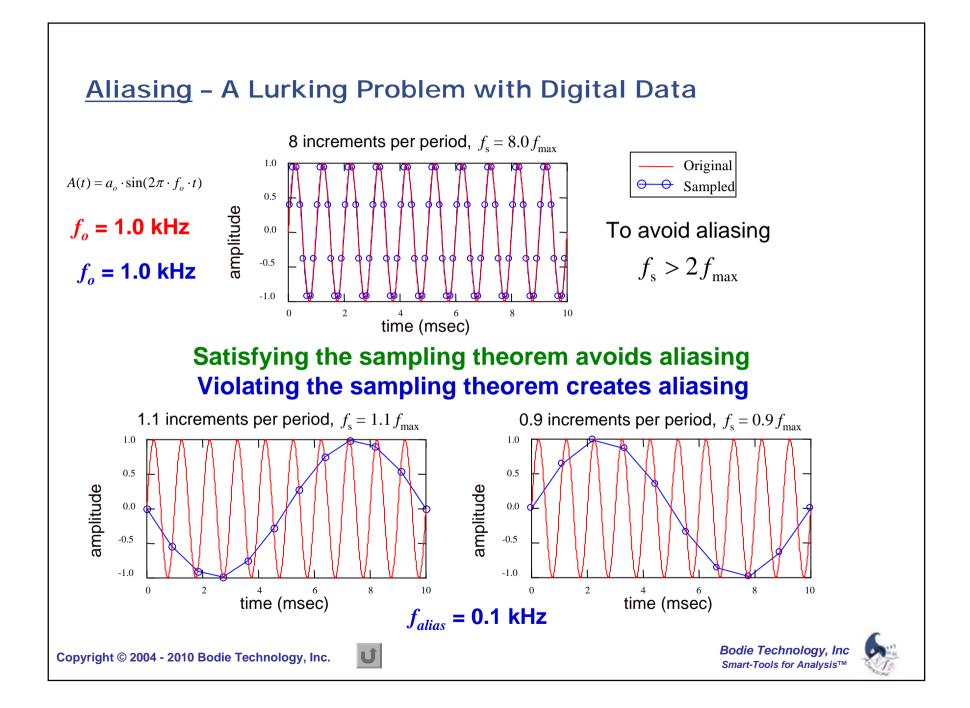


General Purpose Averaging – A Powerful Feature

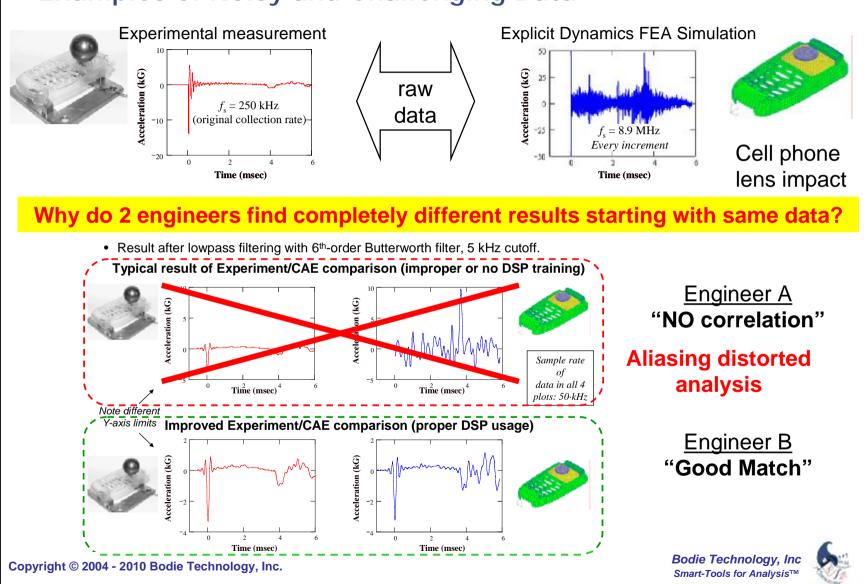




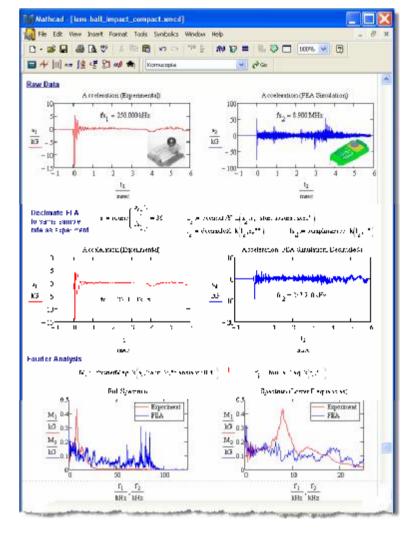


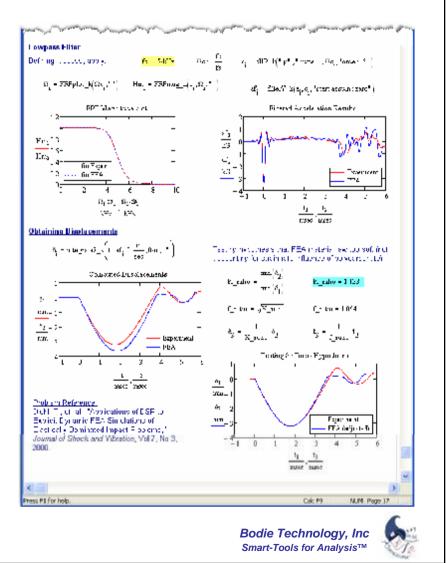






Kornucopia® Improves Analysis of Challenging Data

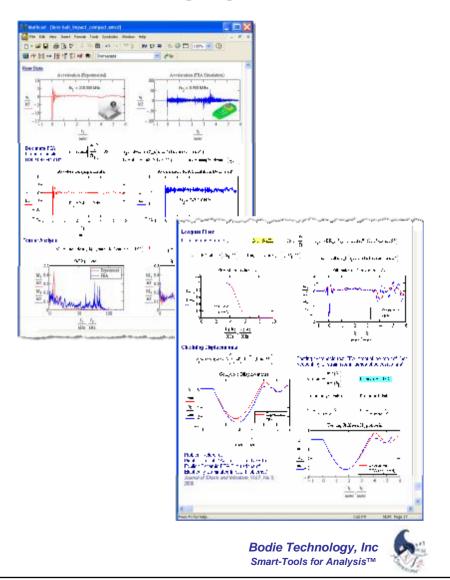


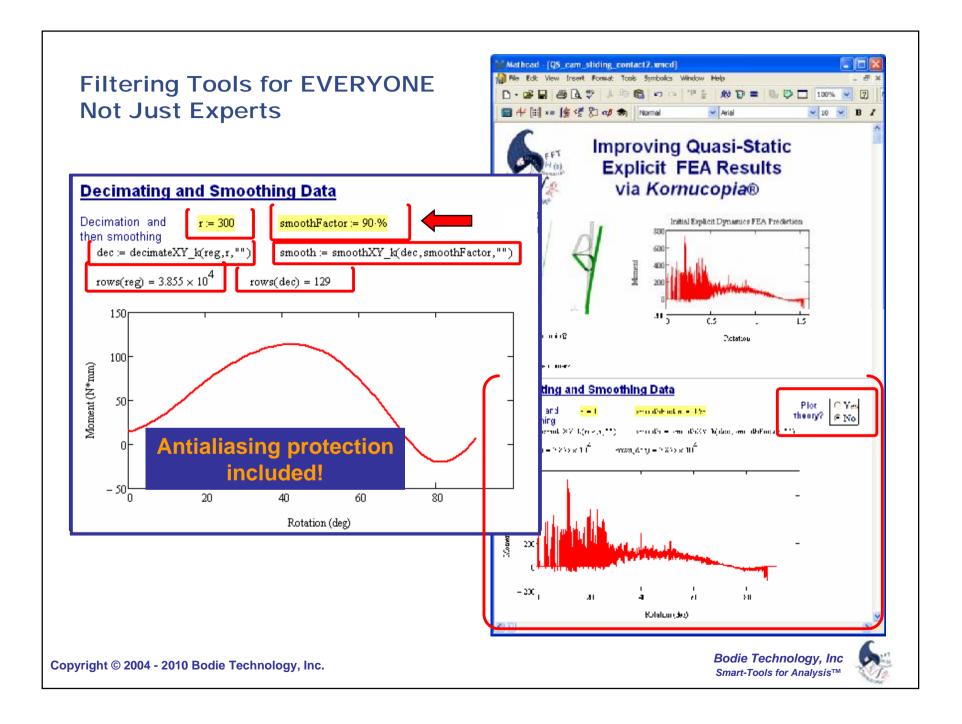


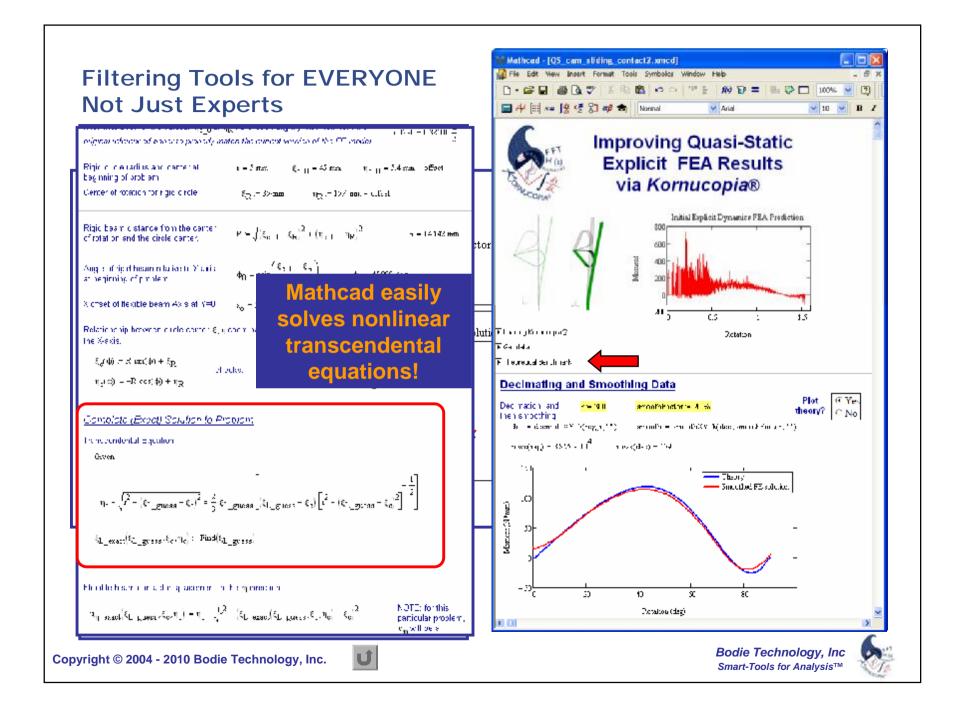
Kornucopia® Improves Analysis of Challenging Data

Key Benefits:

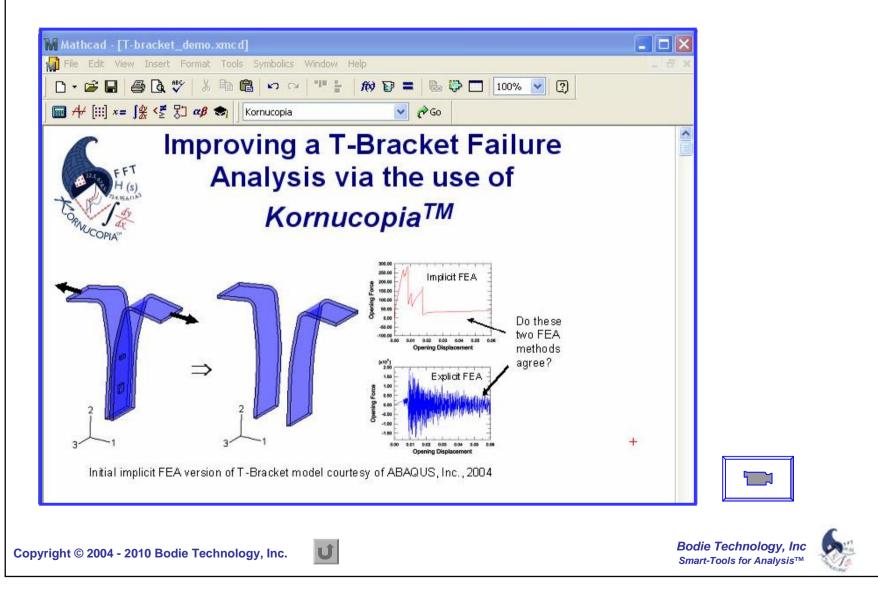
- Clear documentation of analysis process
- Reusable automated worksheet
 - Saves times
 - Reduces errors
 - Deployable to others
- Confidence in both Testing and Modeling Approach
 - They Correlated!
- Improved FEA material law via stiffness correction factor





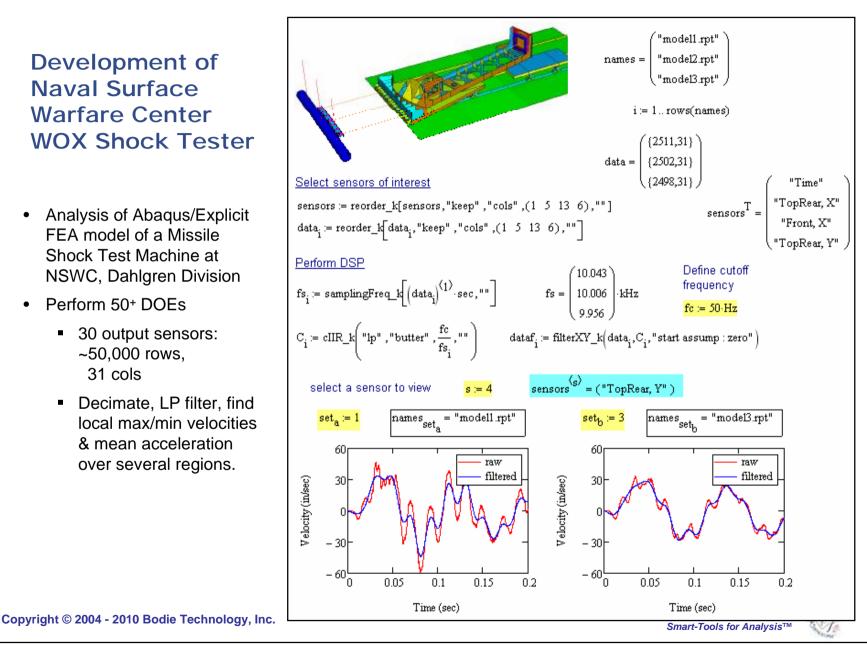


T-bracket Failure Analysis



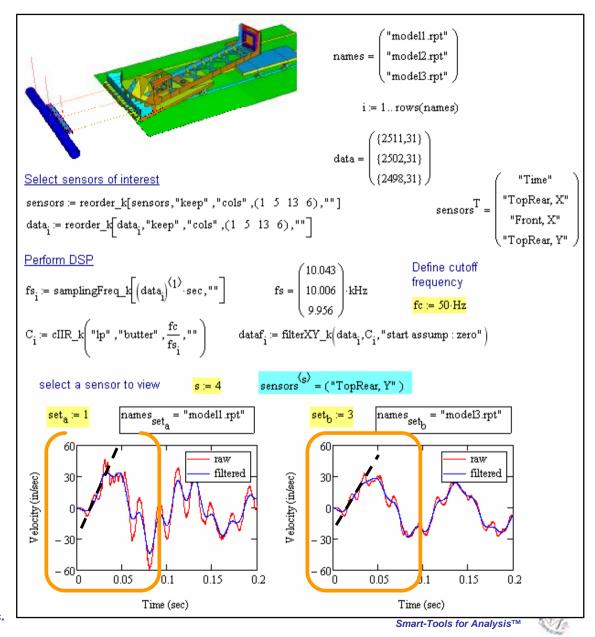
Development of Naval Surface Warfare Center **WOX Shock Tester**

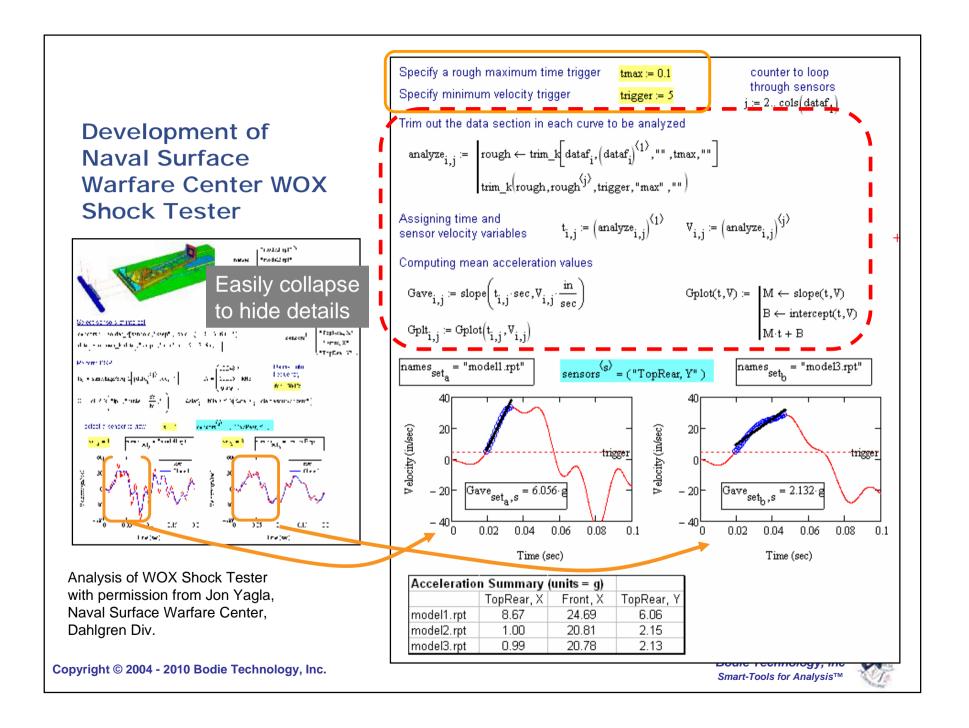
- Analysis of Abagus/Explicit • FEA model of a Missile Shock Test Machine at NSWC, Dahlgren Division
- Perform 50⁺ DOEs ٠
 - 30 output sensors: ~50,000 rows, 31 cols
 - Decimate, LP filter, find local max/min velocities & mean acceleration over several regions.

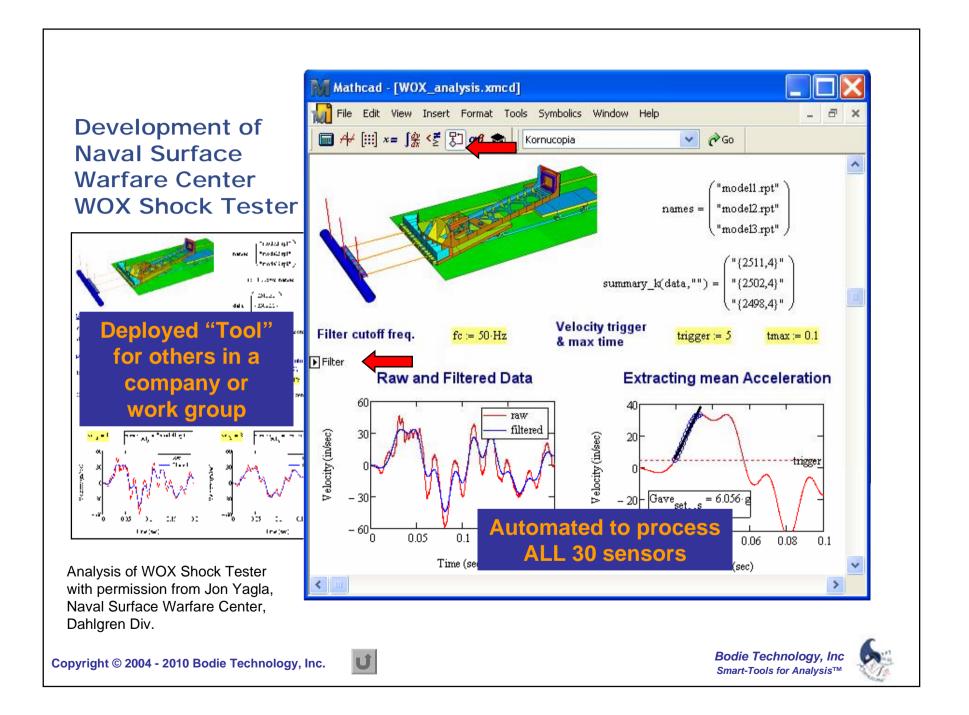


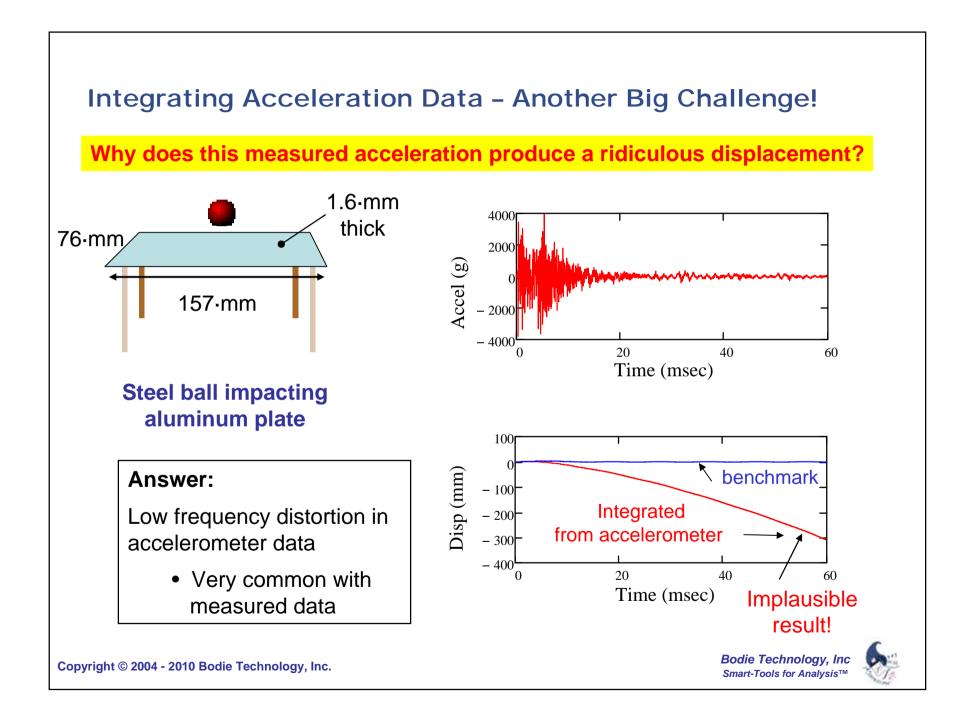
Development of Naval Surface Warfare Center WOX Shock Tester

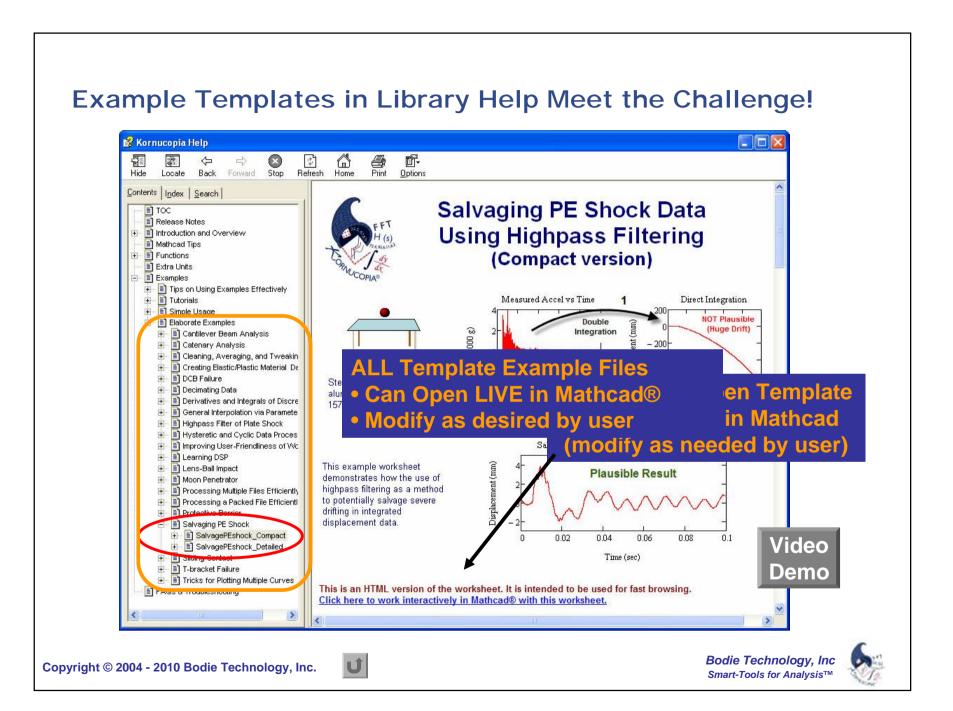
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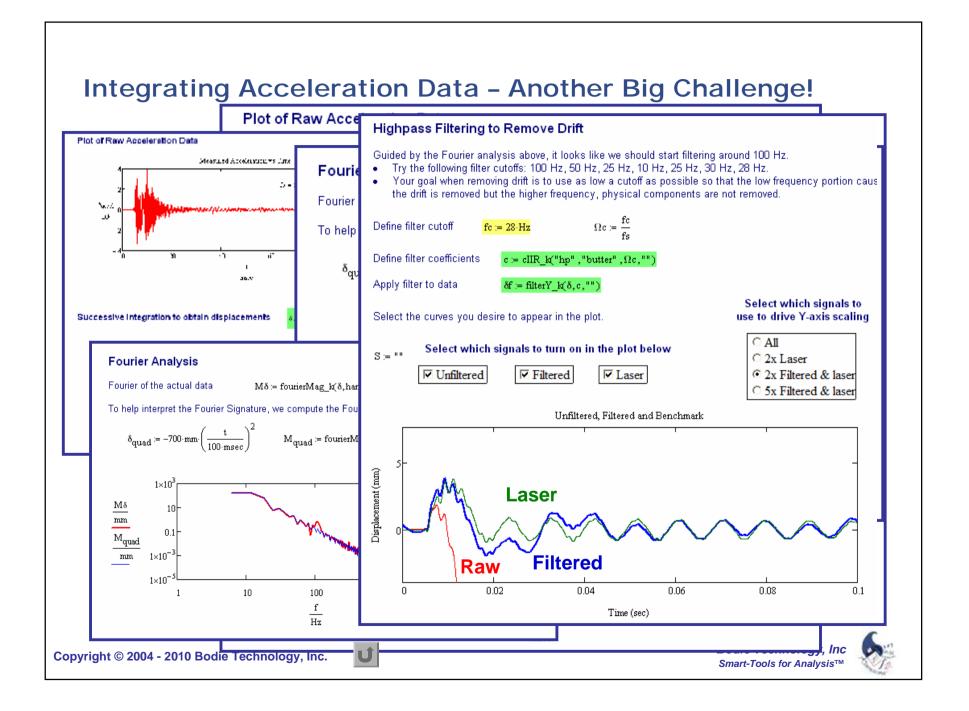












Noisy and Challenging Data

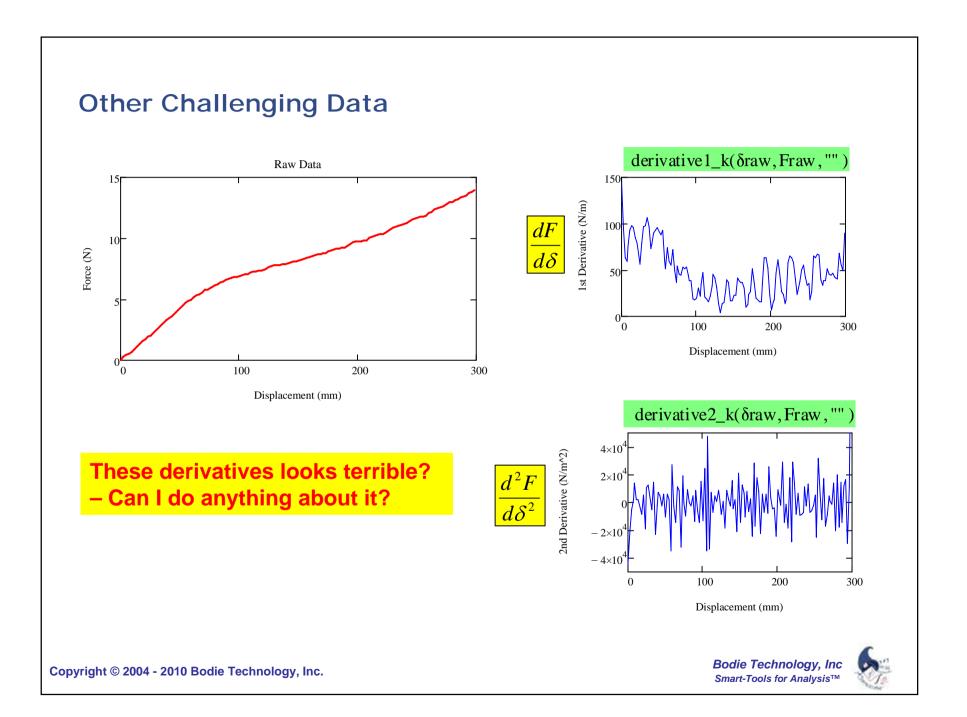
- Comes from many sources & for many reasons
 - Physical and artificial
 - Measurements and simulations
- Found in many places
 - Impact events
 - Entities with Motion
 - Aircraft, cars, ships, machinery, hand-held drills, engines, valves, etc.
 - Characterization of rough surfaces, peel testing, etc.
 - Material characterizations of advanced materials
- Quantities
 - Most noisy accelerometers
 - Moderate noise string pots, laser "gauges" (velocity, strain, ...), force transducers
- Computing the derivative of data can easily create a noisy result

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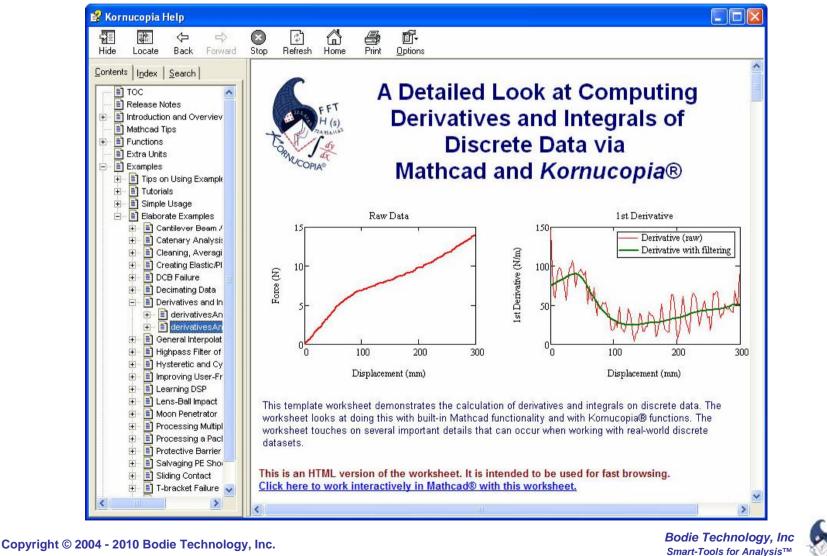
NS (ist state of the second second

Raw Data

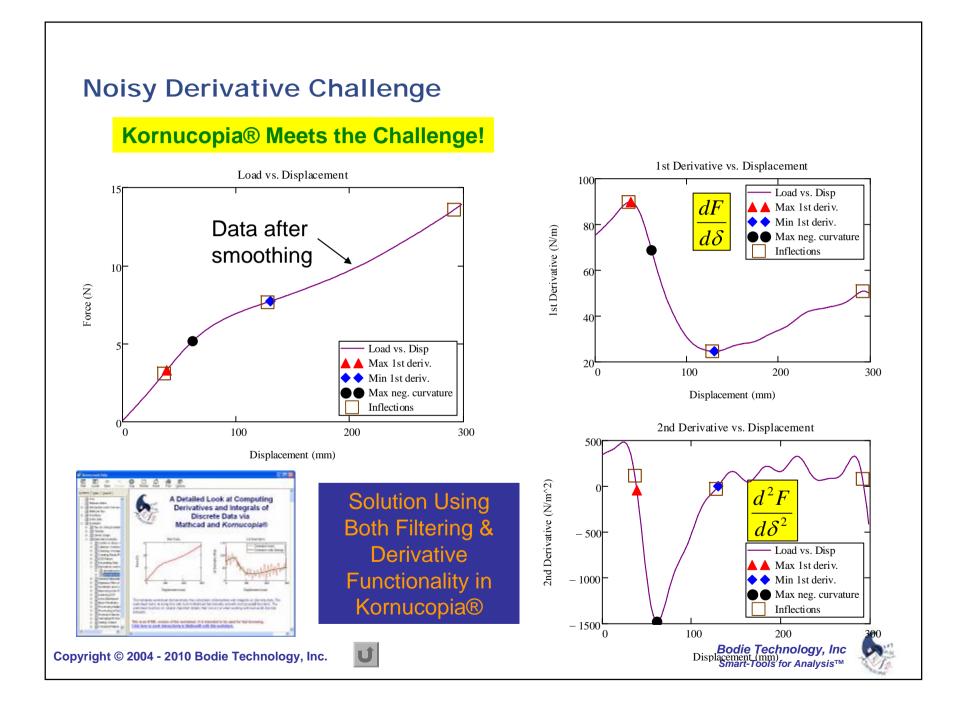


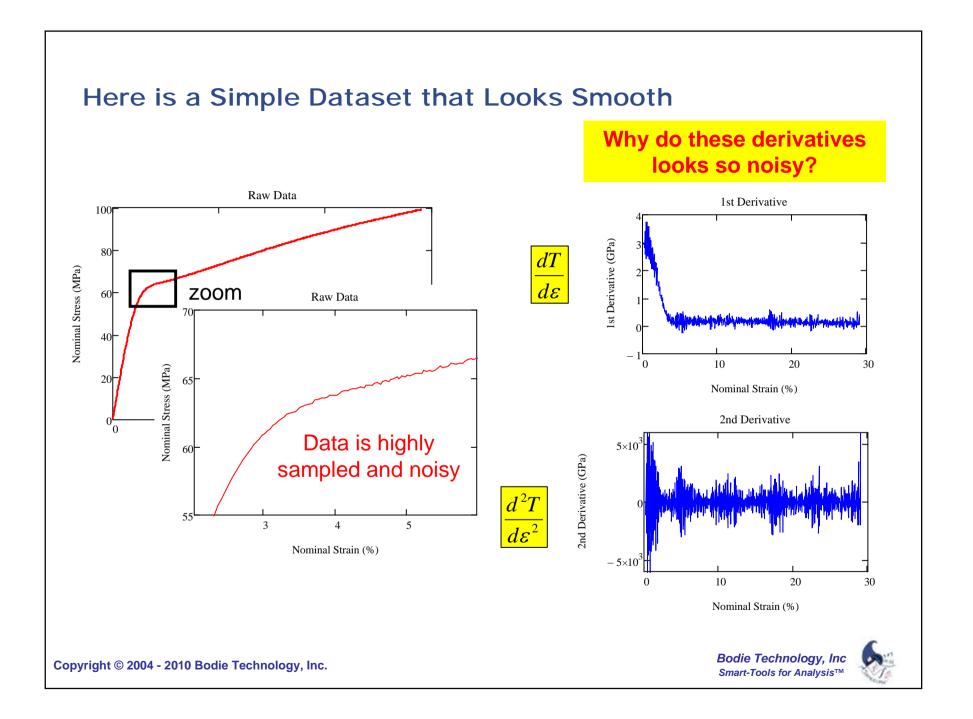


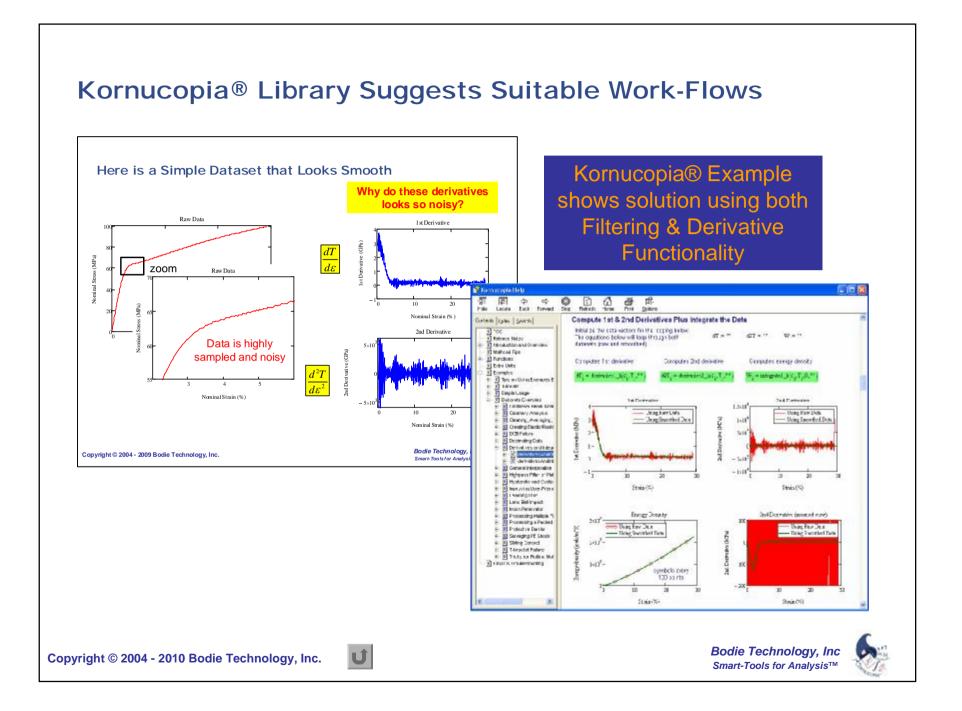
Kornucopia[®] Help and Templates Provides Guidance

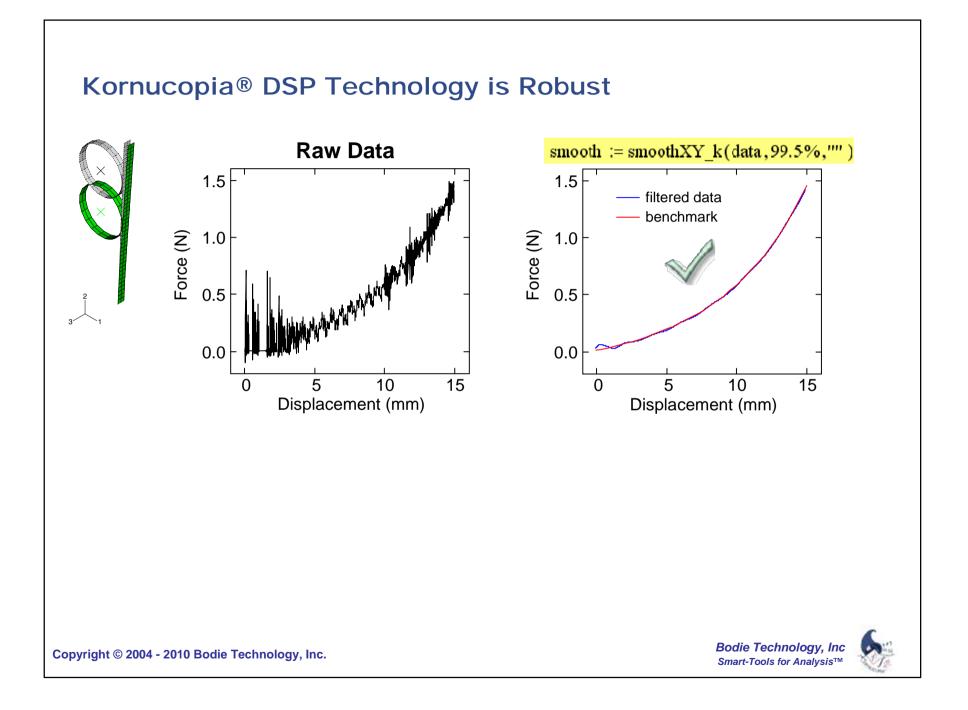


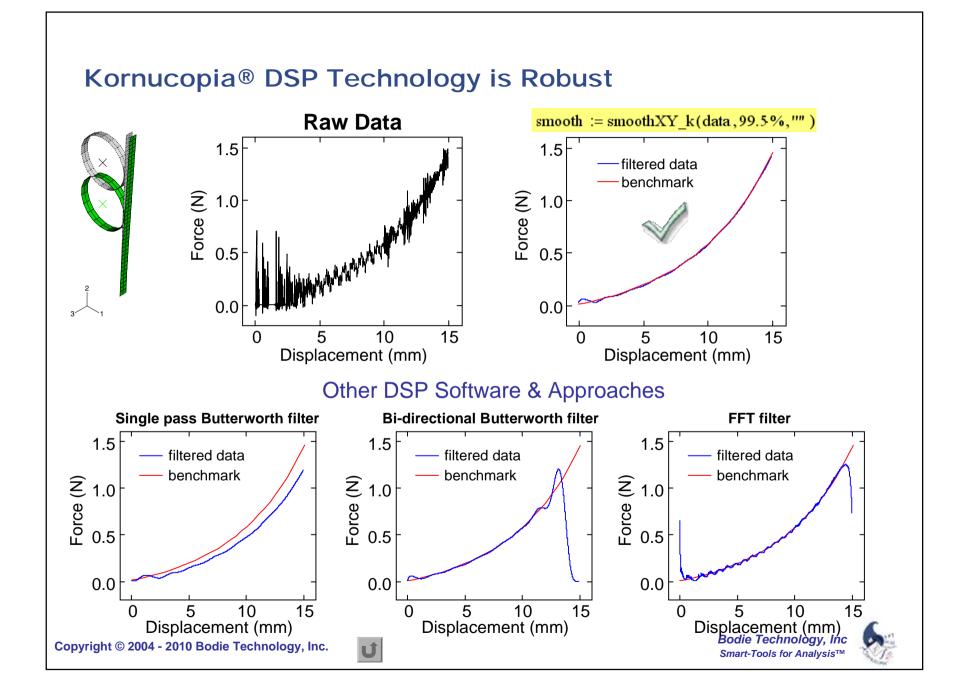


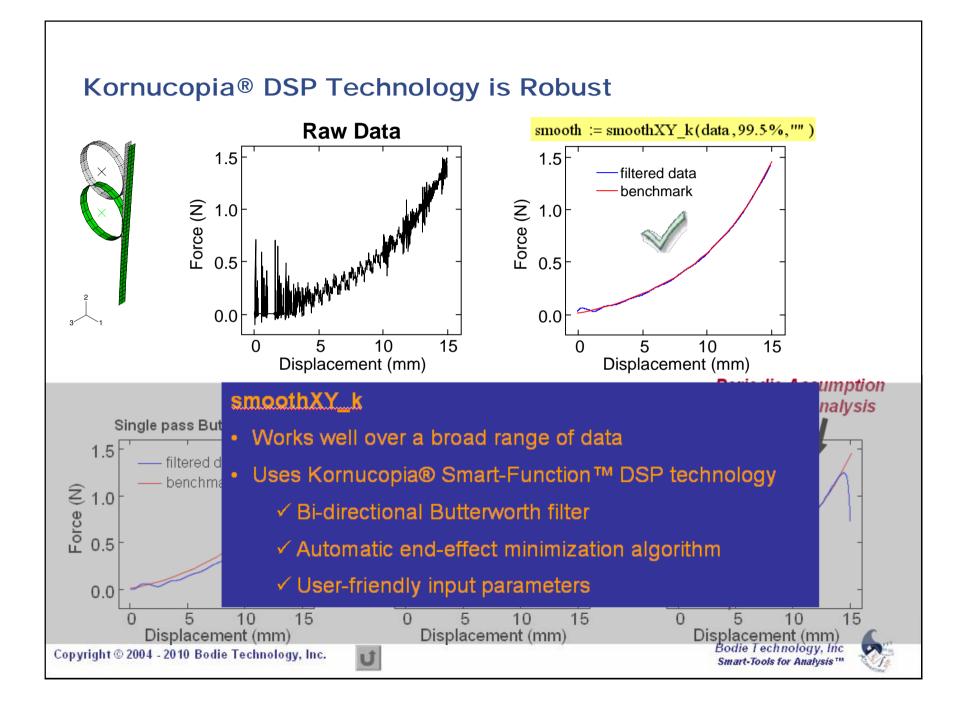


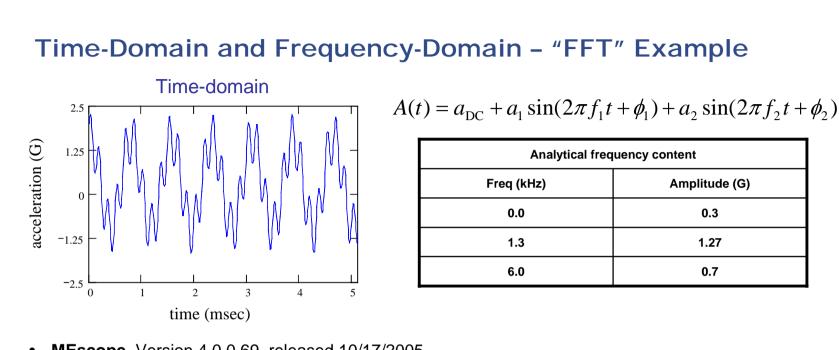












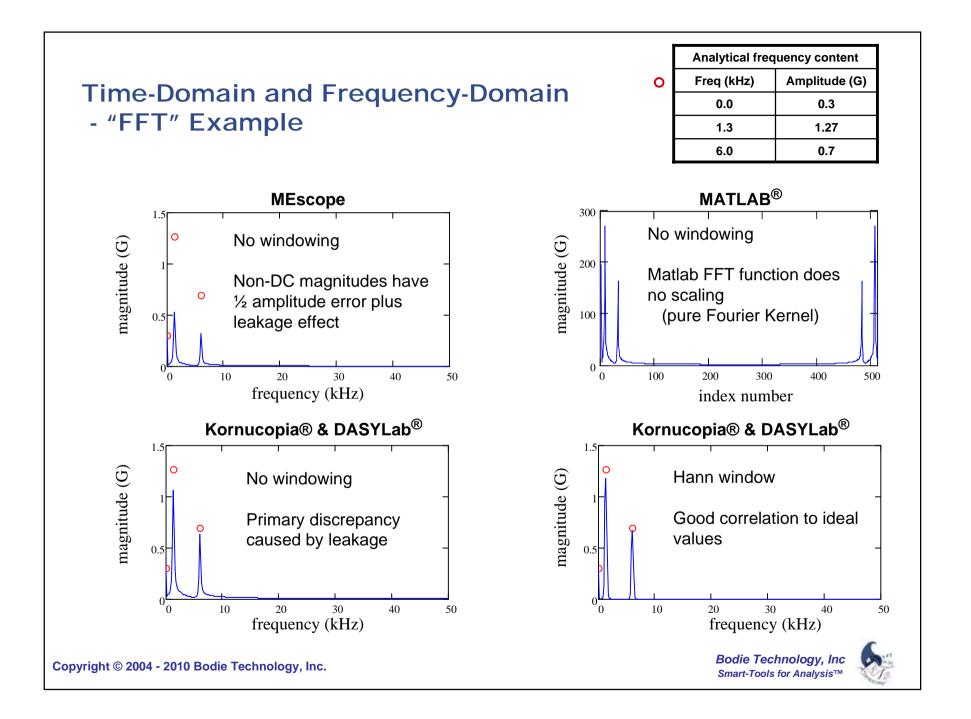
- MEscope, Version 4.0.0.69, released 10/17/2005.
 - "FFT" calculated using a rectangular window and the menu commands of Transform, FFT.
- MATLAB[®] R2006a, Version 7.2.0.232.
 - "FFT" calculated via plot(abs(fft(A))) where A is the time-domain amplitude vector.
- DASYLab[®], V7.00.03, released 1/28/2003.
 - "FFT" calculated using a rectangular & hanning window and requesting a real FFT of real data via Signal Analysis, FFT, Amplitude Spectrum.
- Kornucopia[®], V1.4, released June, 2009.
 - "FFT" calculated using a rectangular & hann window via the following commands

 m_{noWin} = fourierMag_k(A, boxcar_k, "") m_{hanr} = fourierMag_k(A, hann_k, "")

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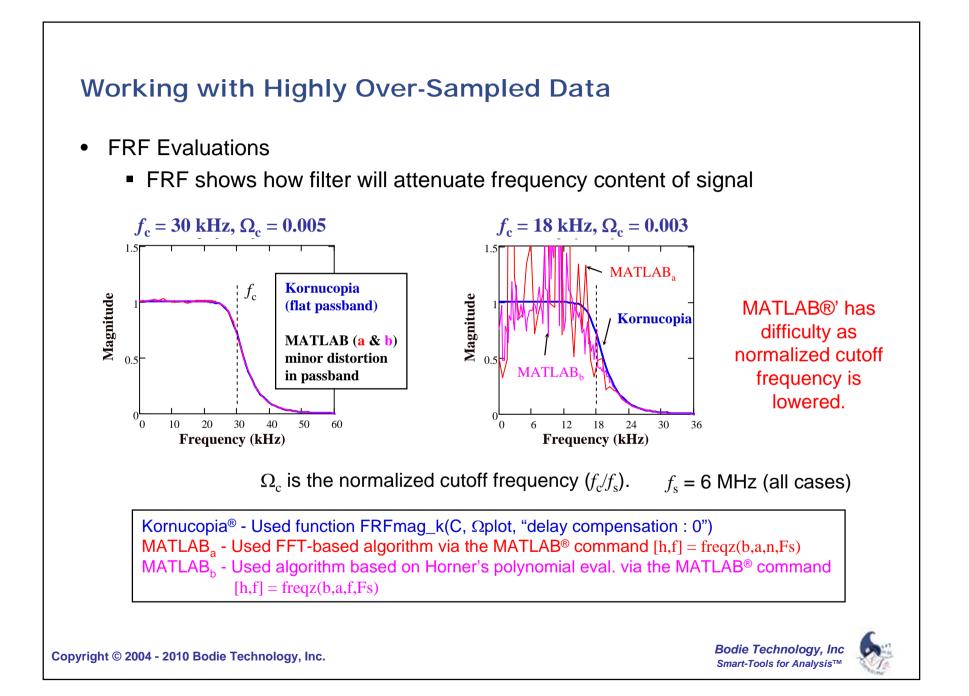




Working with Highly Over-Sampled Data

- MATLAB[®]'s Signal Processing toolbox versus Kornucopia[®]
 - The analysis is based on results initially published by: Diehl, T., et. al., "Applications of DSP to Explicit Dynamic FEA Simulations of Elastically-Dominated Impact Problems," *Journal of Shock and Vibration*, Vol 7, 2000, pp. 167-177.
 - Note: The MATLAB[®] results have been updated in 2007 and the Kornucopia[®] results were added in 2007.
- The evaluation examines performance of the two DSP software packages when data is highly over-sampled and a relatively aggressive filter is applied.
 - $f_s = 6$ MHz Sampling Rate.
 - 8th-order Butterworth Lowpass Filter
 - Values for typical for explicit-dynamics models and filters potentially applied by a "non-DSP" FEA user.

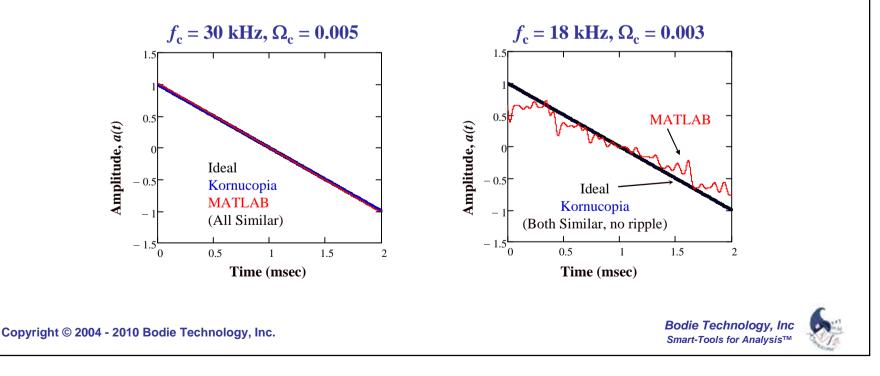




Working with Highly Over-Sampled Data

Time-domain results of filtering a **sloped line**.

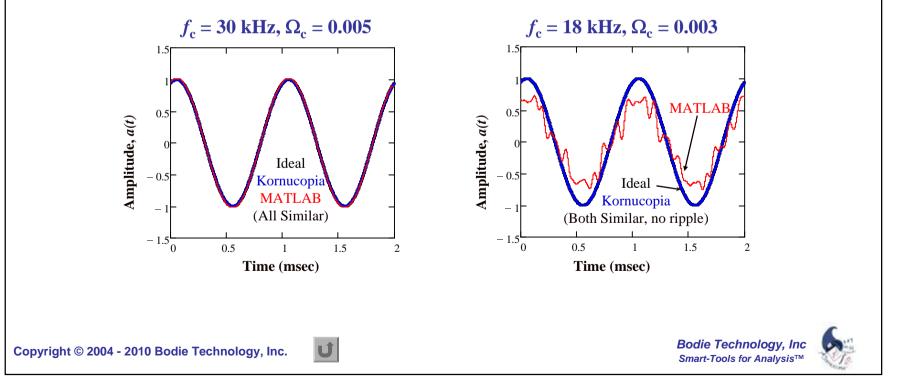
- The MATLAB[®] filter function utilized was filtfilt, a bi-directional timedomain filter. This function does NOT use a cascaded filter implementation.
- The lowpass filter utilized by Kornucopia® was filterY_k, a bi-directional time-domain filter, implemented in a cascade form.
- MATLAB[®] becomes unstable with small change in cutoff frequency.

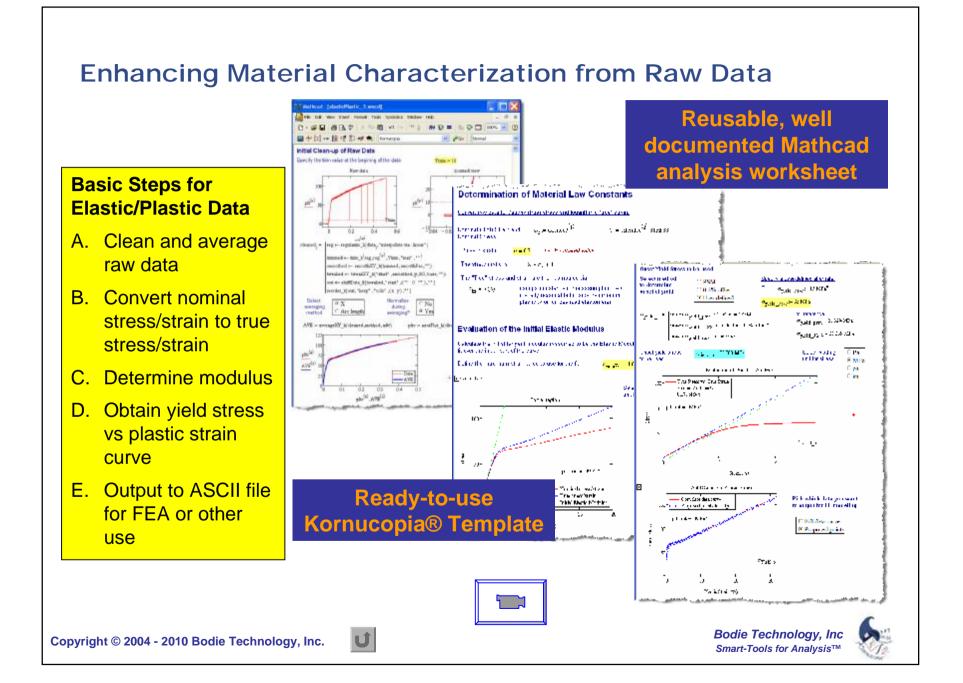


Working with Highly Over-Sampled Data

Time-domain results of filtering a simple **1.0·kHz sinusoidal signal**.

- Since the cutoff frequencies are well above the signal's frequency content, the filtered result should yield back the original 1.0·kHz sine wave.
- The MATLAB[®] and Kornucopia[®] filter functions are same as before.
- Similarly poor results occur again with MATLAB®.

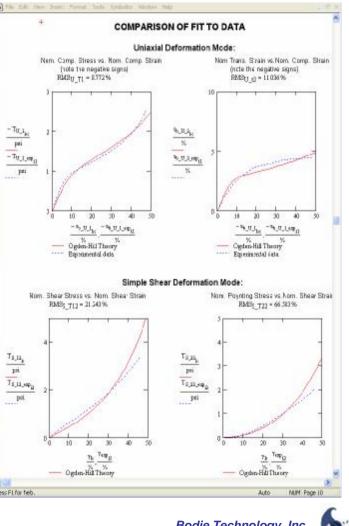




Improving the Fit of Test Data to Hyperfoam Model

	Print Tota Quitains Wedge Sch.		
Beginning of Us	er Input		
Ogden-Hill Materia	al Constants to be used in this	document ("HYPERFOAM)	
Number of Serme in real	based fit $n_{bergar} = 2$ $n = 1n_{ber}$	ma (initial tangent	
Stear terms	$\mu_1 \coloneqq 4.728 \ p i \epsilon \qquad \mu_2 \coloneqq -0.4303 \ p$	steer medium) ei. $\mu_0 \approx \sum \mu_n = \mu_0 \approx 4.291 \text{ p}$	a :
Power terms	$\alpha_1 \approx 10.35 \qquad \alpha_2 \approx 3.293$	1	
Ganera ized Poisson terms	$n^{1} > 0.040.0$ $n^{2} > 0.012.$	$F_{\rm B} \approx \frac{v_{\rm E}}{1-2v_{\rm B}} \qquad F = \begin{pmatrix} 0.040\\ -10.740 \end{pmatrix}$	
Initial shock of matori constants validity	$\frac{d}{\mu_0} = \frac{1}{\mu_0} \left[\sum_{n} \mu_n \left(\frac{1}{2} + \beta_n \right) \right] = 2.57$	*= This should yield a positive number if material parameters are vaid	
General Ogden-Hill	I "HYPERFOAM strain-energy d	lensity function	
The last of T	2 m (, an , an , un)	Eefina indice counters for 3-D elasticity	
with(1,12,13) = 2	$= \frac{2 \mu_0}{(\alpha_0)^2} (x_1^{\alpha_0} + x_2^{\alpha_0} + x_3^{\alpha_0} - 1)$	1>1.3 j>1.3	
$W_2(l) = \sum_{\mathbf{x}} \frac{h \mu_{\mathbf{x}}}{(\mathbf{x}_2)^2} d$	$\left[\hat{\mu}_{\mathbf{h}} \bullet 0, \left[-\mathbf{a}_{\mathbf{h}} \mathbf{x}(\boldsymbol{\beta}) \right], \left[\frac{1}{p_{\mathbf{h}}} \left[p^{-\mathbf{a}_{\mathbf{h}}} \hat{\mu}_{\mathbf{h}} - 1 \right] \right]$		
$W(k_1,k_2,k_3) \succ W_1($	$\lambda_1, \lambda_2, \lambda_3 + W_2(\lambda_1, \lambda_2, \lambda_3)$		
General equations	for principal stresses as a fund	ction of principal stretches	
The principal normal stresses are	$T_{\rm according traj} = \frac{d}{d \lambda_{\rm f}} W \qquad = p - T_{\rm traje_{\rm f}} p$	$\operatorname{discipal}(\lambda_{i}, J) \approx \frac{1}{\lambda_{i}} \sum_{n} \frac{2 \mu_{n}}{\kappa_{n}} \left[\lambda_{i}^{\alpha_{n}} = (J)^{-\alpha_{in}, \theta_{in}} \right]$	
The principal Cauchy stresses are	a	$paintipal(\lambda_i, J) > \frac{\lambda_i}{J} \cdot T_{non_ktrinipal}(\lambda_i, J)$	
General Form of Ta	angent Material Elasticity Matrix	6	
	[[]an	- *n Pa *n Pa]]	
12000000000	(A) + PXV - PSV	P37	
$\mathbf{E}(\lambda_1,\lambda_2,\lambda_3,l)=2$	$\sum_{i} \mu_{\mathbf{E}} = - \frac{\mu_{\mathbf{E}} J^{-\alpha_{\mathbf{E}} \cdot \mu_{\mathbf{E}}}}{\mu_{\mathbf{E}} J^{-\alpha_{\mathbf{E}} \cdot \mu_{\mathbf{E}}}} = - \frac{(k_2)^{\alpha_{\mathbf{E}}}}{(k_2)^{\alpha_{\mathbf{E}}}} +$	p _n J ^{-w_np_n} b ₂ J ^{-w_np_n}	
	$\left[\sum_{k}\mu_{k} \left[\begin{matrix} (k_{2})^{a_{m}}+\dot{p}_{k} j^{-a_{m}}\dot{p}_{m} & \dot{p}_{k} j \\ \\ \dot{p}_{k} j^{-a_{k}}\dot{p}_{k} & (k_{2})^{a_{k}}+ \\ \\ \dot{p}_{k} j^{-a_{k}}\dot{p}_{k} & \dot{p}_{k} j \end{matrix} \right] \right]$	$= u_{W} \delta_{H}$ $(k_{2})^{\alpha_{\mu}} + \beta_{W} i^{-1} u_{W} \delta_{H}$	
General equations	for 2nd-order tensor invariants	i i	
Invariants as function	n of the Tensor components		
$\lg(A) = \sum_{i} A_{i,i}$	$I_3(\boldsymbol{A}) = \frac{1}{2} \left(I_1(\boldsymbol{A})^2 - \sum_j \sum_{i=1}^j \boldsymbol{A}_{i,j} \cdot \boldsymbol{A}_{j,i} \right)$	i) 13(A) = [A]	
s		100 million (100 m	8
		Auto: NUM Pa	pH 2:
hans P1 for help.			8

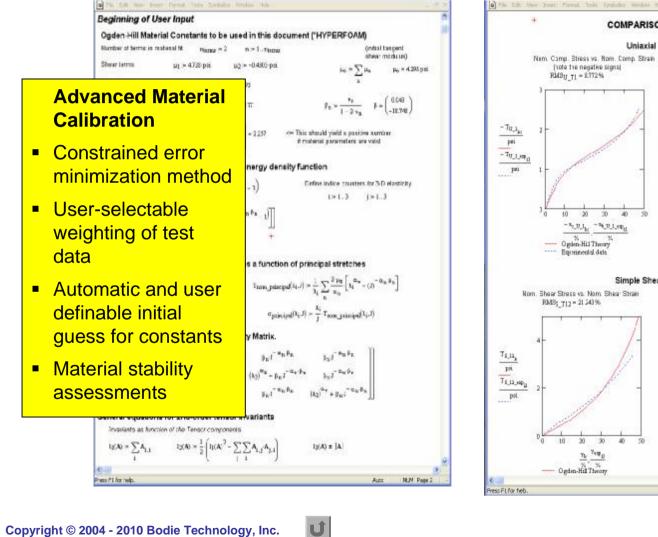
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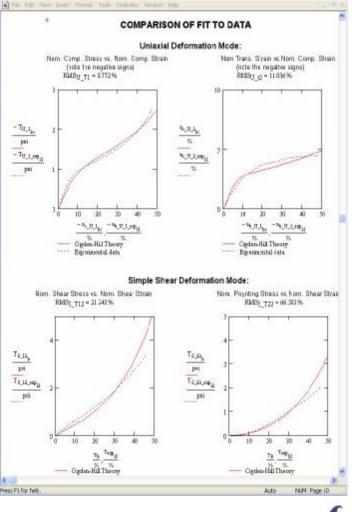


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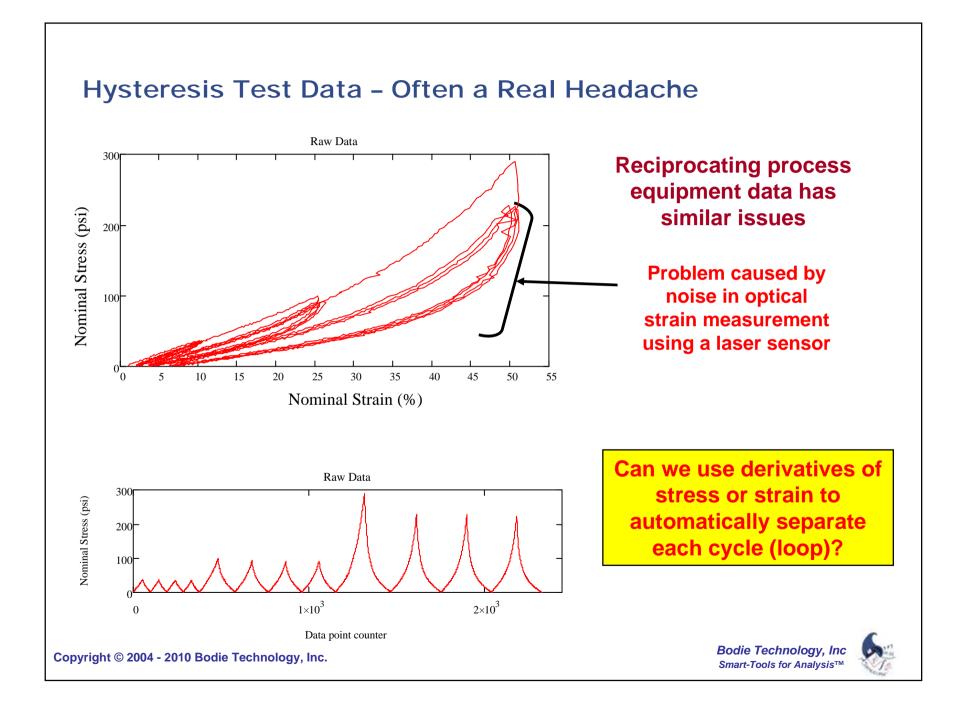
Improving the Fit of Test Data to Hyperfoam Model



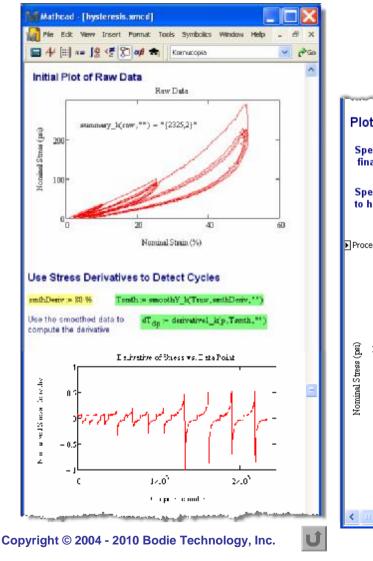


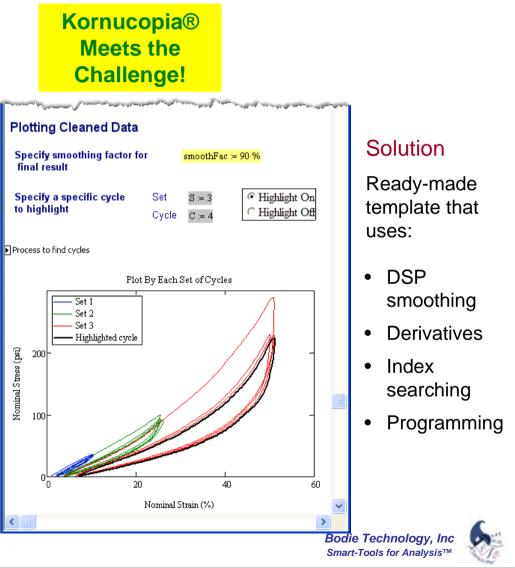
Bodie Technology, Inc Smart-Tools for Analysis™



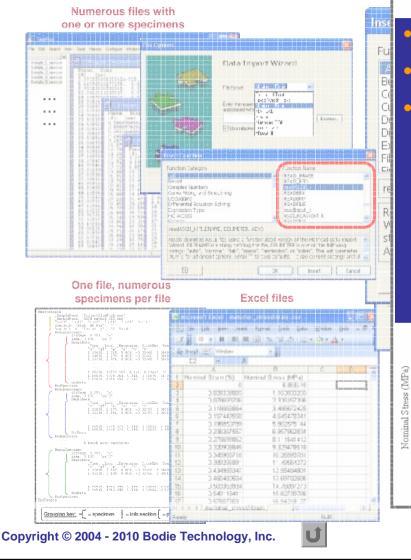


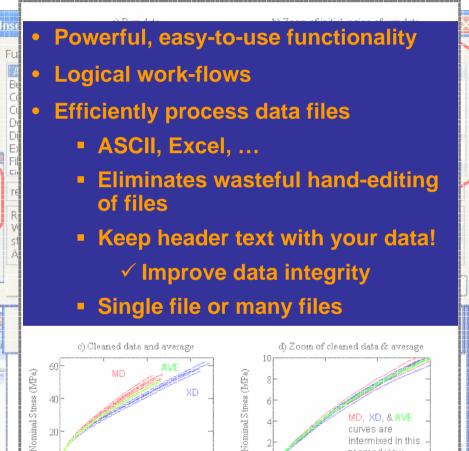
Another Ready-Made Solution in the Kornucopia® Library





Kornucopia Improves Work-Flows That Use Data





10

20

Biot Strain (%)

30

intermixed in this

1.5

5

zoomed view

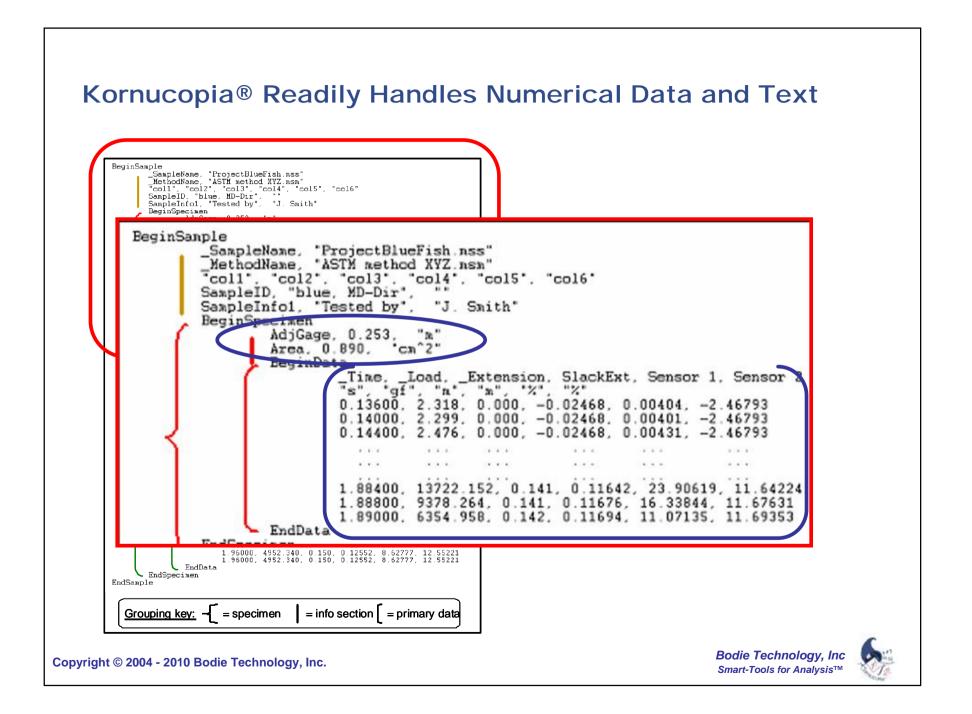
1

0.5

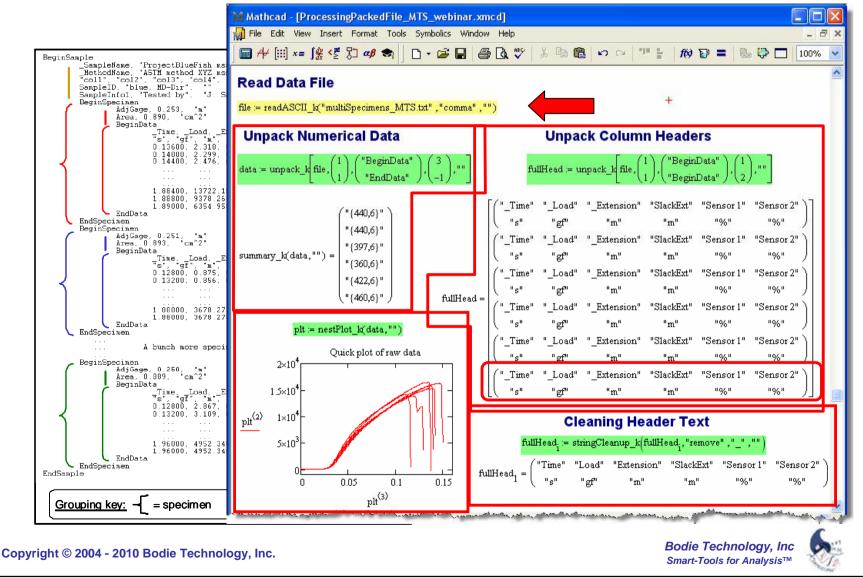
Biot Strain (%)

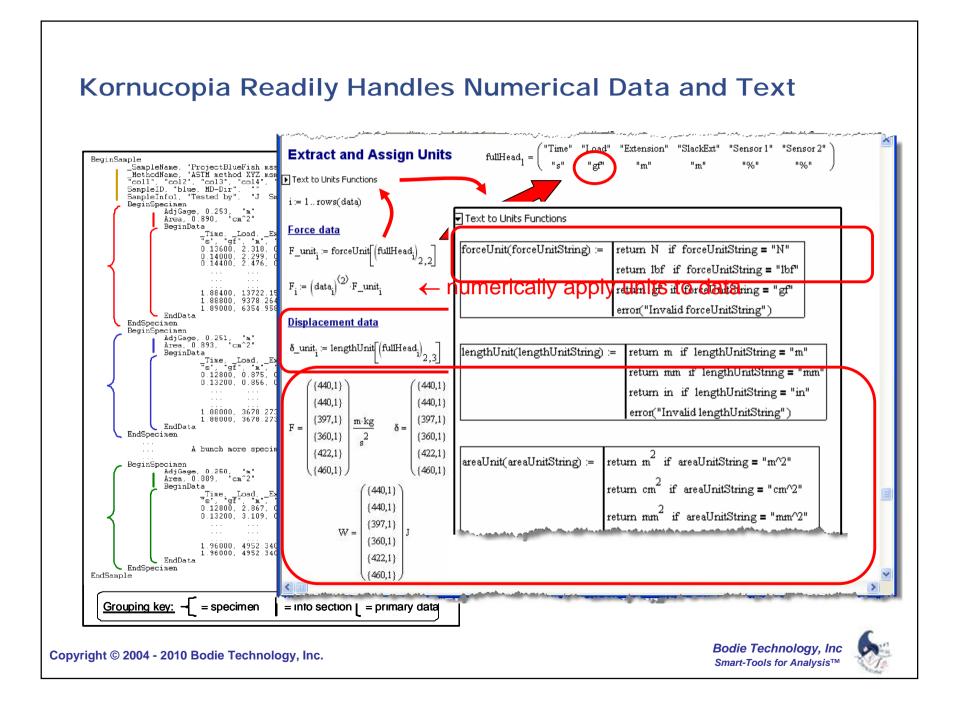
Bodie Technology, Inc

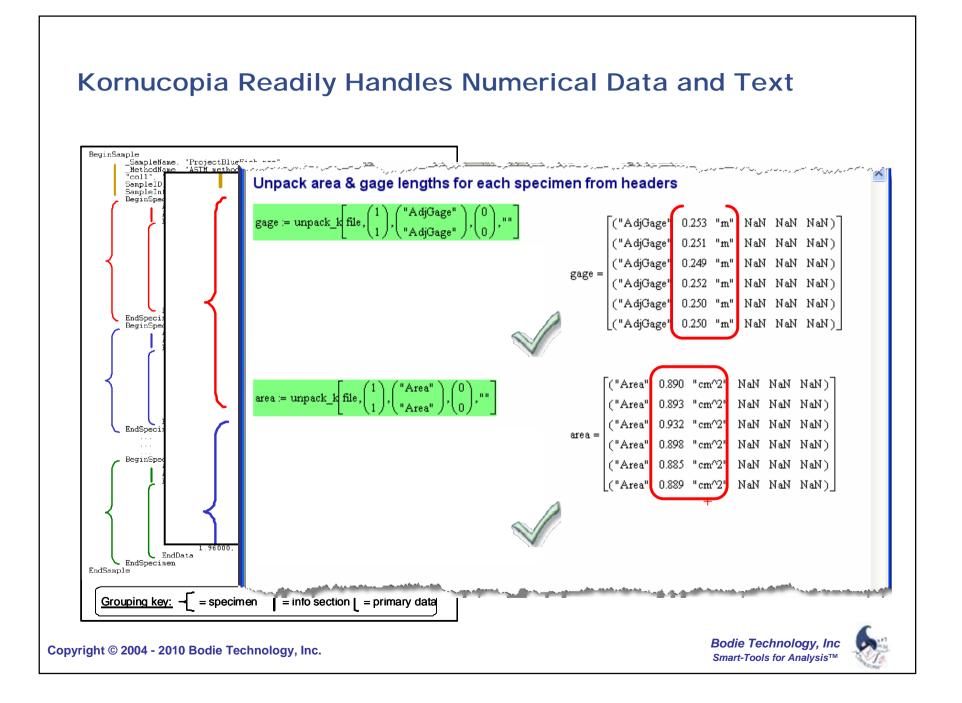
Smart-Tools for Analvsis™









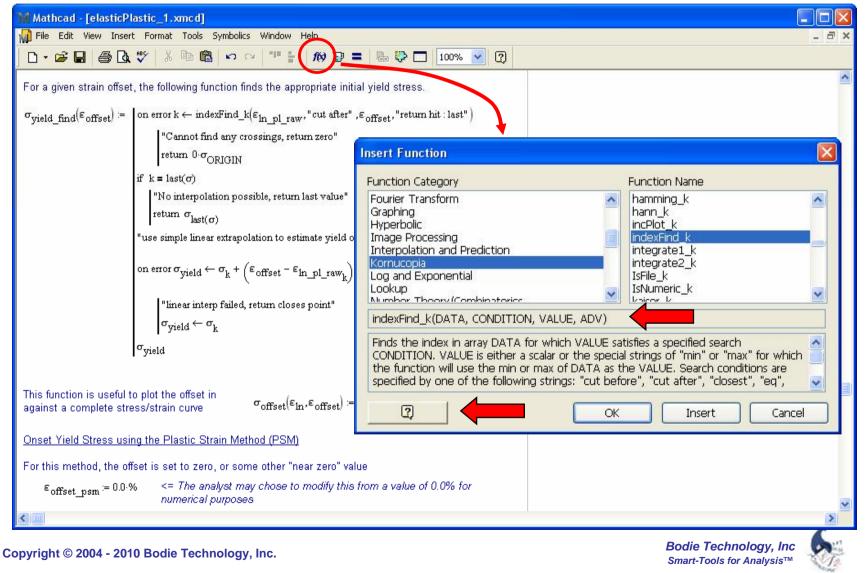


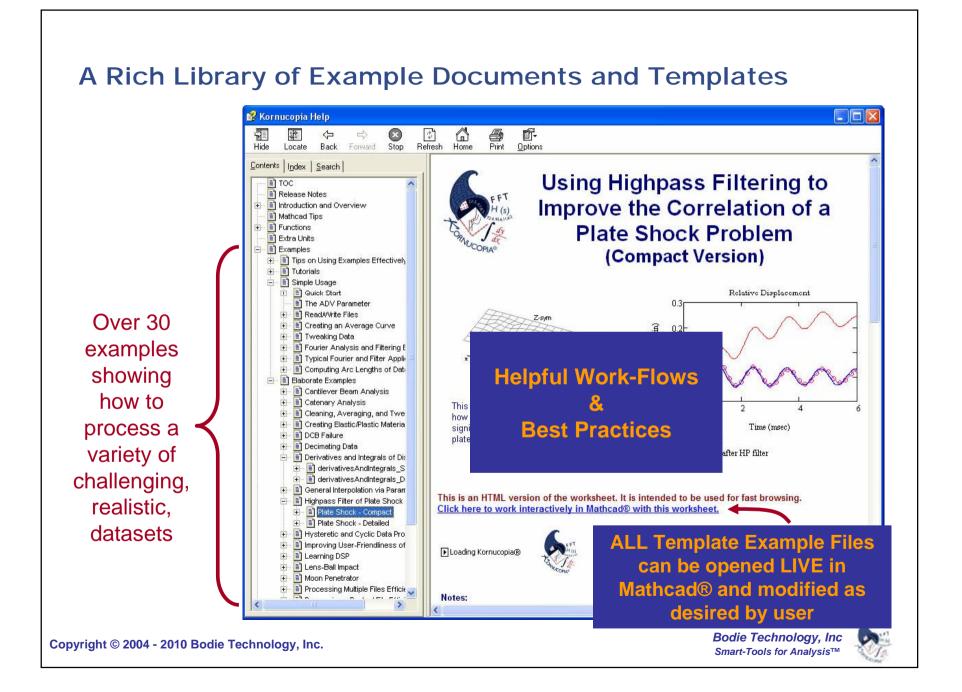
Power of Mathcad® + Kornucopia®

Kornucopia® is Built <u>With</u> Mathcad® <u>For</u> Engineers & Researchers

- Written by an Engineer who has used Mathcad for 20+ years
- Mathcad features used: Mathcad - [Kornucopia_components2a.xmcdz] 🚮 File Edit View Insert Format Tools Symbolics Window Help - 3 > X 階 😤 いっ " 🗄 🛞 🗑 〓 🐘 🤴 "Smart" referenced worksheets Integration via the Trapezoidal Rule Math Single integration of a data vector yop with initial condition IC Collapsed, lockable areas 🗐 AV [!!!] integrateTrank(x, y', yo, crift) = hit k nows(x) < 2 [erl. _ . ← 1 x= [柴 <手 e must hour 2 or more volues 灯 🕫 📚 Programming (~98%) Mathcad® is erl), er2, k. KomuconiaError) **Powerful & Extendable** "C" user DLL's (~2%) Programming $y_i \leftarrow y_{i-1} + 0.5 \{y'_i + y'_{i-1}\} \{x_i - x_{i-1}\}$ Add Line ← Insert Function otherwise **Function Category** Function Name Successive integration of data vector yf00 with initial conditions y/, 00 t) and y, 00 2 for while Fourier Transform hamming k ~ integrateTrap2 1 shot(x, y*, y'o, yo, crl):= if k nows(x) ≤ 2 continue break Graphing hann_k $\operatorname{csl}_{k \to 1} \leftarrow 1$ es2 - "a Data vector must have 2 or more values Hyperbolic incPlot k return on error emor(concat/k erl/erl), er2, k Komucon(aEmor) Image Processing indexFind k Initialize variables Interpolation and Prediction ÷0.90 integrate1 ← 0 -y 'o integrate2 k Be Kornucopia Log and Exponential IsFile k k a ← y'a Lookup IsNumeric k Pre-cosign memory - value will be overwritten $ast \leftarrow k \ bstRowlindex(x)$ Number Theory (Combinatorics Izbicor Iz integrate1 k(Xdata, Ydata, IC1, ADV) $\phi \to \frac{1}{2}$ ereck O+1). Last $it \in i - 1$ Returns an array representing the numerical integration of Ydata with repsect to $\Delta x \leftarrow x - x$ Xdata, IC1 is the initial condition of the integration. The last parameter ADV is for $(\leftarrow y'_{11} + [0.5 \{y''_{11} + y''_{12}\}) \Delta x]$ advanced options. Enter "" to take defaults. To see current settings and all options, \rightarrow evaluate integrate1 kDefaults and integrate1 kPossibles variables. 2 OK Insert Cancel Bodie Technology, Inc 5 U Copyright © 2004 - 2010 Bodie Technology, Inc. Smart-Tools for Analvsis™

Learning About & Accessing Kornucopia® Functions is Easy

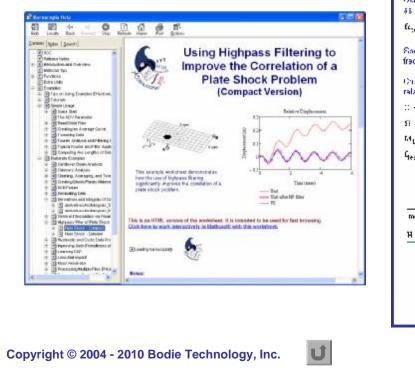


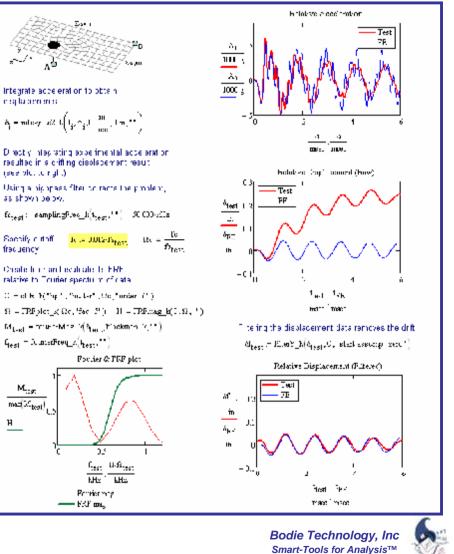


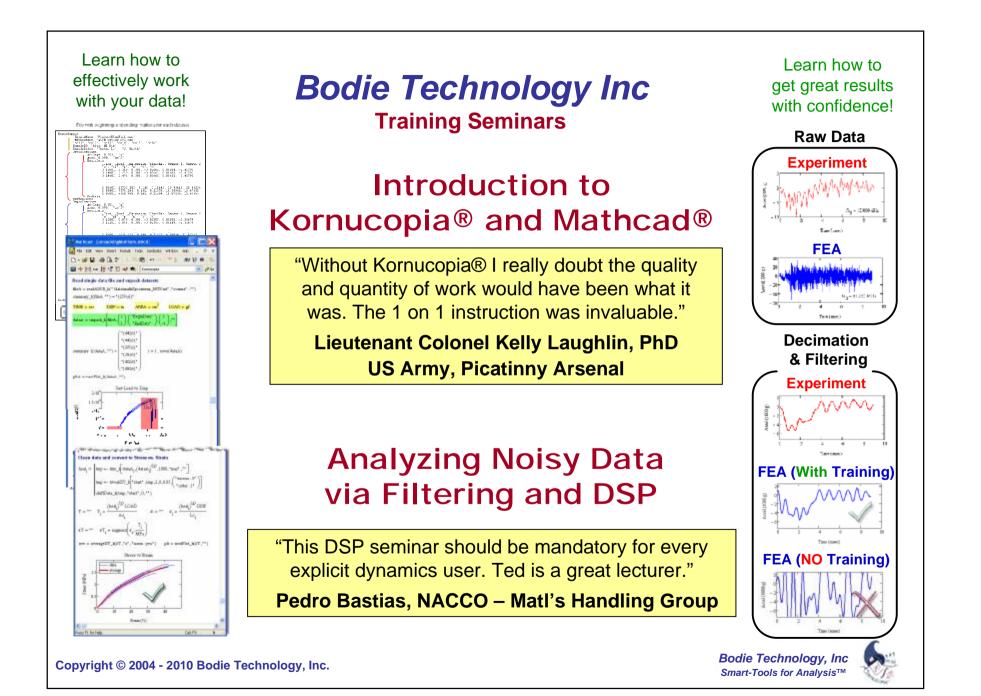
A Rich Library of Example Documents and Templates

Examples and Templates:

- Walk user through the analysis process
- Reusable by user for their own data
- Fully customizable







Introduction to Kornucopia® and Mathcad®

Day 1 - Basics of Mathcad®

- What's possible with Mathcad® & Kornucopia®
 - Symbolics, numerical methods, data analysis, ...
 - Analyzing challenging data
- Mathcad® basics
 - Worksheet layout and calculation order
 - Creating/editing math, graph, & text regions
 - Referenced worksheets and collapsed areas
- Working with units
 - In equations, plots, arrays, and data files
- Creating your first worksheets
 - Some simple calculations
 - Working with ASCII data files

Day 2 - Kornucopia® (Part 1)

- Arrays, range variables, and looping
 - Matrices, 2-D arrays, and nested arrays
 - Various ways to loop equations and functions
- Reading and writing data files
- Tips on using solve-blocks
- Easy-to-use programming within Mathcad®
 - NO need to be a C or Scripting wizard!

Day 2 Continued

- Kornucopia® features for analyzing challenging data
 - Functions & example worksheets
 - The ADV parameter
 - Accessing help and documentation
 - Connecting to the Kornucopia® library
- Enhanced file reading & writing
 - Working with "real-world" ASCII files with header text, stacked datasets, etc.
 - Unpacking data files

Day 3 - Kornucopia® (Part 2)

- Array and string manipulation
 - Reorder rows & cols, nested array tools, find locations in data that meet criteria, string manipulation & parsing
- Techniques for easily plotting multiple curves

Customizable to fit YOUR NEEDS with YOUR DATA

1-Day to 3-Day Formats More details on our website <u>www.BodieTech.com</u>

• Working with Excel and PowerPoint

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Analyzing Noisy Data via Filtering and DSP

Day 1 Concepts of DSP, Filtering, and More

- Motivation for using DSP with experimental and/or simulation data
 - Workshop experiencing common DSP errors
- DSP fundamentals
 - Data collection and sampling: avoiding aliasing
 - FFT's, Fourier Analysis, windows ...
 it is not a black box!
 - Lowpass, highpass, bandstop, bandpass filters
 - IIR and FIR filters, Butterworth & Chebyshev filters
 - Filter parameters: cutoff freq., filter order, single/double pass
 - Filter induced distortions, end effects & time delays
 - FRF (Filter Response Functions)
 - Decimation and upsampling
- DSP features in Kornucopia®
- DSP features within Abaqus
- Workshops
 - Learning to use DSP functions with simple signals
 - Computing derivatives & integrals from noisy data

Day 2 Applications of DSP (Part 1)

- Review of DSP fundamentals, solidifying key concepts
- Developing a DSP strategy for a given problem
- Working with experimental data and validation of simulation and/or experimental results
- DSP using various software
- Working with transient-dynamic events
 - Workshop Transient impact analysis
 - Workshop Salvaging shock data via hp filtering
 - Workshop Penetration problem (comparing multiple models to test data)

Day 3 Applications of DSP (Part 2)

Working with quasi-static models created using transient simulation techniques.

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1-Day to 3-Day Formats

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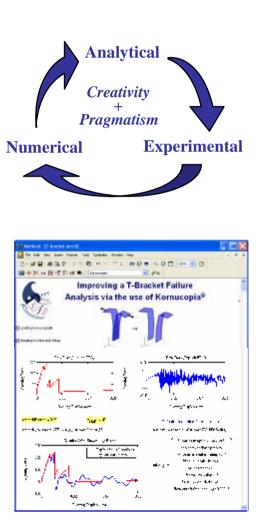
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Bodie Technology, Inc

Specializing in solving complex problems in nonlinear mechanics by employing a proven mix of computational and testing knowledge in novel ways



- Kornucopia® Software
- Customized Training
- Expert Consulting





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